## $31^{\text {st }}$ July

1. 100 dice were thrown into a container. Those that landed with a 1 or a 2 showing were removed, and the remaining dice thrown again and so on.

The following data was recorded:

| Number of throws <br> $(\mathrm{n})$ | Number of dice <br> remaining (D) | $\ln \mathrm{D}$ |
| :---: | :---: | :---: |
| 0 | 100 | 4.61 |
| 1 | 64 | 4.16 |
| 2 | 46 | 3.83 |
| 3 | 29 | 3.37 |
| 4 | 19 |  |
| 5 | 14 |  |
| 6 | 5 |  |
| 7 | 4 |  |
| 8 | 3 |  |
| 9 | 2 |  |
| 10 |  |  |
|  |  |  |

It has been suggested that:
$D=D_{0} e^{-k n}$
$D$ is the number of dice, $D_{0}$ was the original number of dice, $n$ is the number of throws and $k$ is a constant.
a. Complete the table with values of $\operatorname{In} \mathbf{D}$
b. Take the natural log of both sides of the equation $D=D_{0} e^{-k n}$
c. Plot a graph of In $D$ against $n$
d. Calculate the gradient of the line
e. Use the value for your gradient to determine a value for $\boldsymbol{k}$
f. Calculate $\ln \mathbf{2} / \boldsymbol{k}$ and compare this to the value of half-life you calculated yesterday

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